

- ▶ **Homewroks 2 due tonight @ 11:59pm**
- ▶ **Homeworks 3 released, due at Oct 21st 11:59pm**

Midterm Exam: Next Monday, Oct 14th 2024

- ▶ 4:50pm - 6:05pm @ MCH 201
- ▶ 10 multiple-choice questions (20 pts)
- ▶ 10 short answer questions (30 pts)
- ▶ 3 programming questions (50 pts)
- ▶ Paper exam, closed-book, no cheat sheet, no electronic devices (phone, tablet, laptop, calculator *etc.*)
- ▶ Covers from Introduction to C++ to Advanced Functions (include unix we have learned so far)

Lecture 12

Advanced Functions - Recursion

Shibo Li

shiboli@cs.fsu.edu



Department of Computer Science
Florida State University

- ▶ A recursive function is a function that calls **itself** in order to solve a smaller instance of the same problem.
- ▶ A problem is divided into smaller **sub-problems** until it reaches a **base case**, which is directly solvable.

- ▶ **Base Case:** The condition under which the recursion ends. It prevents infinite recursion.
- ▶ **Recursive Case:** The part of the function that calls itself with a modified parameter, moving the problem closer to the base case.

```
function recursiveFunction(parameters) {  
    if (base case condition)  
        return base_case_value;  
    else  
        return recursiveFunction(modified_parameters);  
}
```

- ▶ **Simpler Code for Certain Problems:** Recursive solutions can be more intuitive and shorter for problems like factorials, Fibonacci sequence, and tree traversals.
- ▶ **Divide and Conquer Approach:** Recursion naturally fits problems that can be divided into similar sub-problems (e.g., merge sort, quick sort).

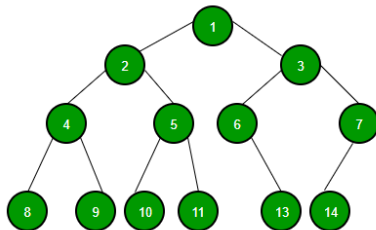
- ▶ Calculate the factorial of a number n .
- ▶ $n! = n \times (n - 1)!$, where $0! = 1$

```
int factorial(int n) { // recursion
    if (n == 0) // Base case
        return 1;
    else
        return n * factorial(n - 1); // Recursive case
}
```

```
int factorial(int n) { // iteration
    int result = 1;
    for (int i = 1; i <= n; ++i) {
        result *= i;
    }
    return result;
}
```

Pros:

- ▶ Simplicity and readability for problems that fit naturally into recursive patterns.
- ▶ Useful for tasks that involve tree structures or backtracking.



Cons:

- ▶ Higher memory usage due to call stack overhead.
- ▶ Can lead to stack overflow if the recursion depth is too high (possible exponential growth).
- ▶ Slower performance for problems with many overlapping subproblems

Cons:

- ▶ Higher memory usage due to call stack overhead.
- ▶ Can lead to stack overflow if the recursion depth is too high (possible exponential growth).
- ▶ Slower performance for problems with many overlapping subproblems

- ▶ **Base Case Issues:** Ensure a proper base case is defined to prevent infinite recursion.
- ▶ **Performance Considerations:** Consider using dynamic programming or memoization

- ▶ Sorting Algorithms (Quick Sort, Merge Sort)
- ▶ Tree Traversal (Pre-order, In-order, Post-order)
- ▶ Graph Traversal (Depth-First Search)
- ▶ Solving Puzzles (e.g., Towers of Hanoi)